#### Here comes trouble

Frantz Martinache

September 25, 2017

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## The ideal coronagraph is ... ideal

- A coronagraph, is designed to suppress the static diffraction introduced by an optical system: telescope, beam transfer and instrument optics.
- The higher its performance (the contrast at a given separation), the more sensitive it is to changes in the expected system configuration.
- From the ground, coronagraphs are in serious trouble!

# An old story

#### **Opticks, Isaac Newton (1704)**

"If the Theory of making Telescopes could at length be fully brought into Practice, yet there would be certain Bounds beyond which Telescopes could not perform. For the Air through which we look upon the Stars, is in a perpetual Tremor [...]

The only Remedy is a most serene and quiet Air, such as may perhaps be found on the tops of the highest Mountains above the grosser Clouds."



Book I, Prop. VIII, Prob. II

#### **Turbulence and seeing**





Theoretical diffraction-limited<br/>point spread function.Experienced instantaneous seeing-limited<br/>point spread functionUnless something is done about it, a telescope larger than a certain size<br/>(typically ~ 0.1 m) produces images limited by the seeing.

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### **Atmosphere structure**

The impact of the atmosphere is quantified by the variance it introduces between two parts of the wavefront, separated by the distance  $\rho$ .

$$D_{\Phi}(\rho) = \left\langle |\Phi_a(r) - \Phi_a(r+\rho)|^2 \right\rangle_r$$

This  $2^{nd}$  order structure function is characterized by one single parameter  $r_0$ : Fried's parameter.

$$D_{\Phi}(
ho) = 6.88 \left(rac{|
ho|}{r_0}
ight)^{5/3}$$

These perturbations are brought by variations of the refractive index of refraction.



Simulated Kolmogorov phase screen



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## **Turbulence filtering**



Credit: J.P. Lloyd

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## **Corrected image**



Seeing-limited long exposure

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#### **Corrected image**



Seeing-limited long exposure



#### AO-corrected long exposure

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#### **Corrected image**





Seeing-limited long exposureAO-corrected long exposureAO-corrected PSF morphology will depend on the DM geometry

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- to a spatial frequency in the pupil, corresponds a pair of speckles
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- $f_c = N_A/2 \ (\lambda/D)$

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### **Speckle contrast**

The (1D) complex amplitude of a sinusoidal modulation of amplitude  $\alpha$  applied by a DM for k cycles at the wavelength  $\lambda$ :

$$egin{array}{rcl} \mathsf{A}(m{x}) &=& \exp\left(i(4\pilpha/\lambda)\sin2\pi km{x}
ight)\ &\approx& \mathbf{1}+i(4\pilpha/\lambda)\sin2\pi km{x}, \end{array}$$

In the focal plane:  $I(x) = |\mathcal{F}(A)|^2$ . The contrast of the added speckles is:

$$c = (4\pi\alpha/\lambda)^2.$$

Q: raw contrast requirement within the control region is  $c=10^{-6}$ . Required wavefront stability?

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# Non-common path aberration



- The AO is blind to whatever is happening after the beam splitter
- This non-common path error (NCPA) is
   at the origin of much grief
  - Quasi-static structures are reported to survive over timescales  $\sim$  1 hr
- In the absence of a better solution: post-processing!



our precision increases with AO

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- or our inferences will be wrong
- the solution: data calibration
- that's the rest of the week

## **Reference subtraction**



The grandmother of all calibration techniques!

- Measure your bias: acquire a reference object
- Subtract this bias from the data on your target of interest

#### This applies to:

- high-contrast imaging: coronagraphic leaks
- interferometry: optical gains and/or offset closure-phases

#### This requires:

- Find good calibrators (an art by itself!)
- Observe plenty of them

A variant, using the target of interest only:

- (semi-) simultaneous observations affected by the same bias.
- vary one parameter for all observations
- use your knowledge of physics to figure things out!



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Options include: ADI, PDI, SDI, ... Interferometry equivalents available!

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- The big question: is this a coherent structure or not?
  - Yes it can be suppressed!
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  - measure amplitude and phase of speckle
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  - Yes it can be suppressed!
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- to suppress:
  - measure amplitude and phase of speckle
  - add an anti-speckle by deforming the DM
- It is disturbing for the AO to keep on running while you do this!

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This approach is in development, but becomes usable on-sky. Request it from your favorite instrument team!

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